

Implicitní funkce jedné promnných
Soubor: Impl_predn_2019

```
> restart;  
> with(plots):
```

P.1. Kivka, tena, Taylorv polynom - grafy v okolí bodu A=[2,0]

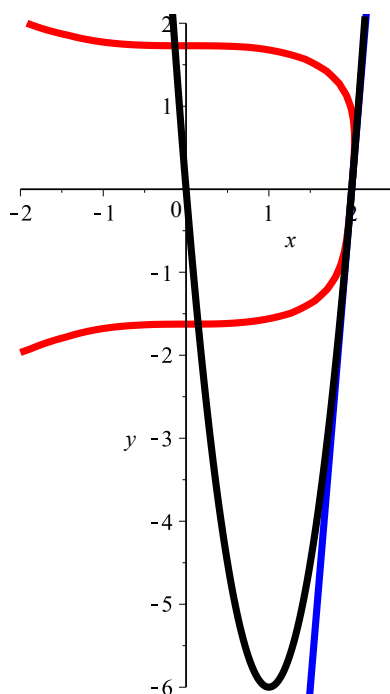
```
> x^3 - sin(y) + y^4 - 8 = 0; y = 12 * x - 24; Ta[2](x) = 12 * x - 24 + 6 * (x - 2)^2;
```

$$x^3 - \sin(y) + y^4 - 8 = 0$$

$$y = 12x - 24$$

$$Ta_2(x) = 12x - 24 + 6(x - 2)^2$$

(1)



P 183 Sb. Kivka a její graf v okolí bodu A=[2,-1]

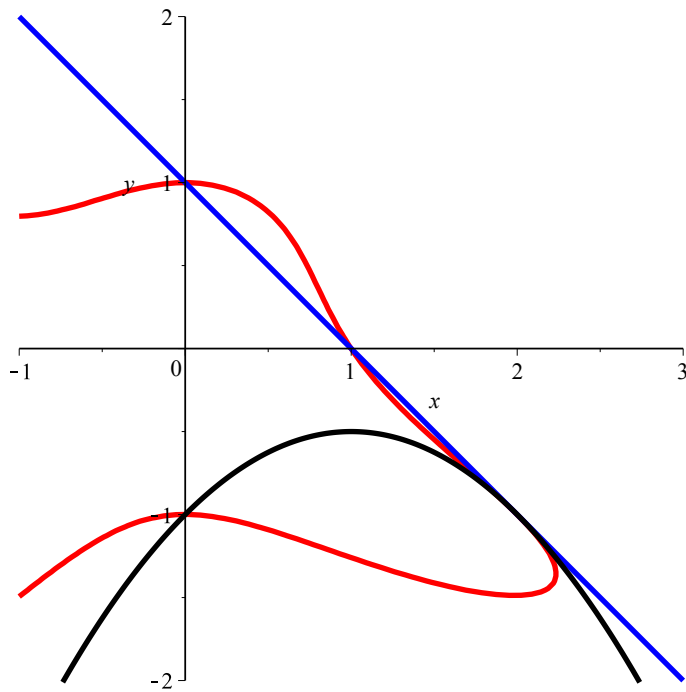
> $x^3 + y^4 + 2x^2y - 1 = 0$; $y = -1 - (x-2)$; $T2(x) = -1 - (x-2) - 0.5(x-2)^2$;

$$x^3 + y^4 + 2x^2y - 1 = 0$$

$$y = 1 - x$$

$$T2(x) = 1 - x - 0.5(x - 2)^2$$

(2)



>

P.2. Kivka, tena, Taylorv polynom - grafy v okolí bodu A=[2,1]

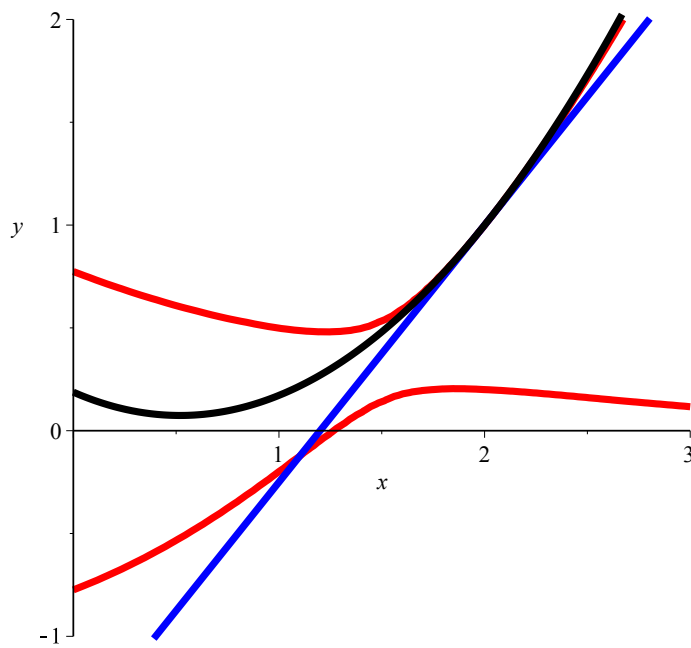
> $x^2 + 3x^2y - 10y^2 - 6x + 6 = 0$; $te = 1 + 5 \cdot (x-2) / 4$; $Te2(x) = 1 + 5 \cdot (x-2) / 4 + 27 \cdot (x-2)^2 / 64$;

$$x^2 + 3x^2y - 10y^2 - 6x + 6 = 0$$

$$te = -\frac{3}{2} + \frac{5}{4}x$$

$$Te2(x) = -\frac{3}{2} + \frac{5}{4}x + \frac{27}{64}(x-2)^2$$

(3)



>

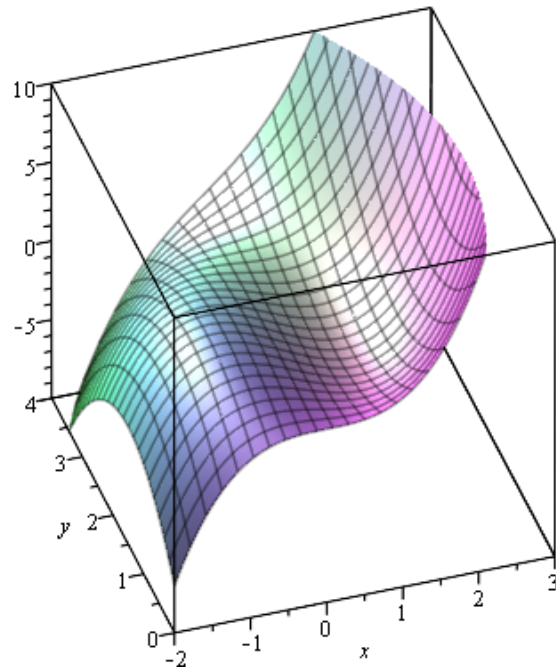
Pr 3: Graf funkce $z=F(x,y)$

```
> F:=x^3+x*y^2-3*x*y+1;
```

$$F:=x^3 + xy^2 - 3xy + 1$$

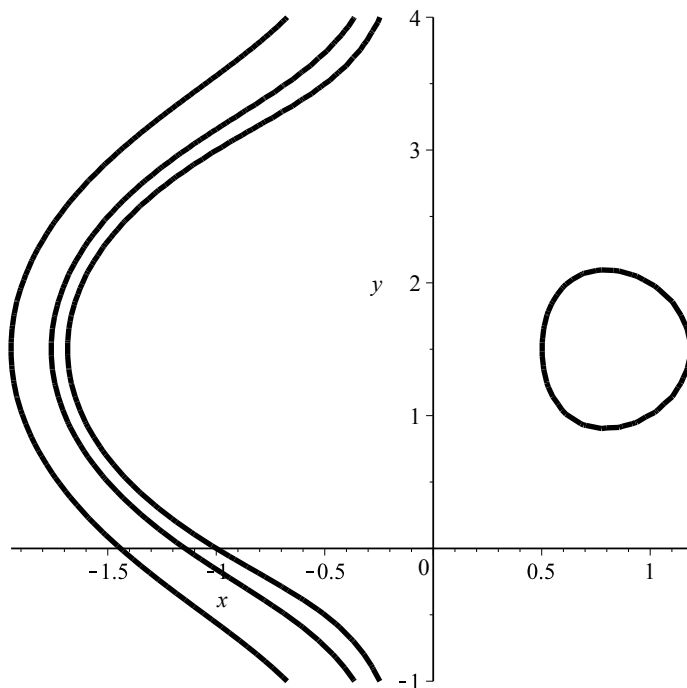
(4)

```
> plot3d(F,x=-2..3,y=0..4,view=-10..10,axes=boxed,orientation=[-108,52]);
```



Izokrivky (vrstevnice) $F(x,y)=k$ pro $k=-2, -0.5, 0, 0.5, 1, 3$

> *contourplot(x^3 + x*y^2 - 3*x*y + 1, x=-2..2, y=-1..4, grid = [50, 50], thickness=3, color="black", contours = [-2, -0.5, 0])*



Pr.1. Krivka, tečna, Taylorv polynom - grafy v okolí bodu A=[1,2]

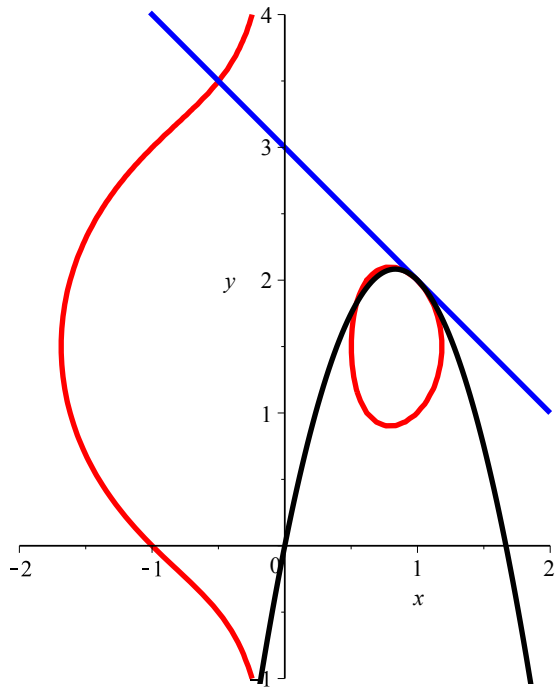
> $x^3 + x*y^2 - 3*x*y + 1 = 0; y = 2 - (x - 1); T2(x) = 2 - (x - 1) - 3*(x - 1)^2;$

$$x^3 + x*y^2 - 3*x*y + 1 = 0$$

$$y = 3 - x$$

$$T2(x) = 3 - x - 3(x - 1)^2$$

(5)



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